1.	Module code:	B19A01E
2.	Title:	QUANTITATIVE METHODS
3.	Credit points:	7
4.	Start term:	fall
5.	Module leader:	GYÖNGYI BUGÁR, DR.
6.	Accredited by:	MUBS
7.	Module restrictions:	
	Pre-requisite	none
	 Programme restrictions 	BSc in Business Administration and Management
	Level restrictions	4
	Other restrictions or	none
8	Aime	
0.	To make students aware of the usefulness of mathematics as an aid in formulating and solving business-related problems. To enable the students to understand the main features of deterministic phenomena and investigate their models. To provide a toolkit to other subjects which use mathematical techniques, e.g. Economics, Finance, Operations Research and Operations Management.	
9.	Learning outcomes:	
	 On completion of this module, the successful student will be able to: 1.understand and appreciate the key aspects of function theory, optimisation theory and matrix algebra 2.demonstrate the role and significance of quantitative methods in decision making 3. distinguish the limitations of the different optimisation models and solution methods 4. examine and model deterministic phenomena from Business, Economics, Finance, etc. 5. develop and solve simple business-related optimisation problems 6. analyse and interpret the output given by Excel applications 	
10.	Syllabus:	
	 Brief review of the basic concepts of Mathematics: introduction to the theory of sets, numbers, vectors and functions. Operations with sets, numbers and vectors. Elementary theory of matrices, matrix operations. Determinants, Cramer's Rule. Business applications. Excel applications for matrix operations Elementary theory of single variable real functions. Continuity, monotonicity, convexity/concavity, extremal values, zeroes, etc. Graphical representation and graphical analysis of single variable real functions. Business applications. Elementary theory of several variable real functions. Convexity/concavity, extremal values, zeroes, etc. Graphical representation and graphical analysis of several variable real functions. Convexity/concavity, extremal values, zeroes, etc. Graphical representation and graphical analysis of several variable real functions. Convexity/concavity, extremal values, zeroes, etc. Graphical representation and graphical analysis of several variable real functions. Convexity/concavity, extremal values, zeroes, etc. Graphical representation and graphical analysis of several variable real functions. Convexity/concavity, extremal values, zeroes, etc. Graphical representation and graphical analysis of several variable real functions. The level curve method. The elements of linear and nonlinear programming. Graphical solution methods. Business applications. Introduction to differential calculus. Basic concepts and calculus rules. Complete analysis of single variable functions. Business applications. The indefinite integral, basic rules for integration. Differential equations. Business applications. The definite integral and its geometric meaning. The Newton-Leibniz Rule. Improper integrals. Differential calculus for functions with several variables. Seeking for extremum. Business applications. 	

	Systems of linear equations. Matrix equations. The inverse of a matrix. Vector space and coordinate transformation methods. The niver algorithm. Excel		
	space and coordinate transformation methods. The pivot algorithm. Excer		
	Linconstrained optimization problems		
	 Equality constrained optimization problems. The Lagrange Multiplier Rule 		
11.	Learning and teaching strategy:		
	There will be weakly lectures (2 hrs/week) and seminars (2 hrs/week). Exercises and		
	business-related problems will be set as the basis for discussion. The solutions will be		
	supported by Excel applications wherever it is possible.		
12.	Assessment scheme:		
	Formative assessment scheme		
	Formative feedback will be provided throughout this module through the discussion of		
	problems given as homework.		
	Summative assessment scheme		
	Indicate tasks and weightings and which tasks assess which learning outcomes		
	Students will have two closed-back written examinations during the semester		
	(Midterm 1 and Midterm 2) on selected problems At the and of the competer there will		
	(Mildterm 1 and Mildterm 2) on selected problems. At the end of the semester there will be a closed back written ever (Final Exemination). This will access the full range of		
	be a closed-book written exam (Final Examination). This will assess the full range of		
	learning outcomes.		
	Midterm 1	15 %	
	(it will assess LOS 1 and 5)	45.0/	
	(it will appear I On 1, 2, 5 and 6.)	15 %	
	(It will assess LOS 1, 2, 5 and 6)	70.9/	
	(it will assess the full range of LOs)	70 %	
	It is no guired to achieve more than 50) 24 of the course on the Final Fuers in order to	
	It is required to achieve more than 50% of the scores on the Final Exam in order to		
	the assessment elements however, more than 50% in aggregate is needed for the		
	pass rate. As a consequence, only the final exam can be resat.		
	Maximum of 25% missing is allowed: otherwise the semester will not be approved		
	Soon examination		
		0 %	
	Coursework (no examination)	0%	
13	Timetabled examination required	YES	
14	Length of exam	75 minutes in case of the Midterms 90	
	Longaroroxam	minutes in case of the Final Examination	
15.	Learning materials		
	Essential	- K. Sydsæter, P. Hammond and A.	
		Strøm: Essential Mathematics for	
		EconomicAnalysis, Pearson Education,	
		4th edition, 2012.	
		 Handouts uploaded to Neptun. 	
		E E Llogueslar D C David and D L	
	 Recommended 	- E. F. Haeussier, K. S. Paul and K. J.	
		Wood: Introductory Mathematical	
		Wood: Introductory Mathematical	
		Wood: Introductory Mathematical Analysis for Business, Economics and Life and Social Sciences, Pearson	